## Errata for Philosophical Logic: A Contemporary Introduction

## p. 6 n. 3

F.B Fitch should be F.B. Fitch

## p. 20 Figure I.I caption line 3

$H x y$ should be $C x y$

## p. 5 I Exercise 2.3

In exercise 3,

$$
\begin{equation*}
\exists x(\exists y A z y \wedge \forall x((z=x \vee A z x) \supset \forall y(A x y \equiv((z=y \vee A z y) \wedge y \neq x)))) \tag{a}
\end{equation*}
$$

should be

$$
\begin{equation*}
\exists z(\exists y A z y \wedge \forall x((z=x \vee A z x) \supset \forall y(A x y \equiv((z=y \vee A z y) \wedge y \neq x)))) \tag{a}
\end{equation*}
$$

## p. 54 Table 2. 1 lines 4-5 from bottom

$$
\begin{aligned}
& \text { 'either there are some things that }{ }_{V} \text { are such that }{ }^{\prime} \frown \operatorname{Tr}(\psi) \frown^{\prime} \text { or }{ }^{\prime} \frown \psi^{\dagger} \\
& \text { should be } \\
& \text { reither there are some things that }{ }_{V} \text { are such that }{ }^{\urcorner} \frown \operatorname{Tr}(\psi) \frown^{\prime} \text { or }{ }^{\prime} \frown \operatorname{Tr}\left(\psi^{\dagger}\right)
\end{aligned}
$$

p. 55 (2.4)

$$
\begin{aligned}
& X \sim Y \equiv_{\text {def }} \exists R( \operatorname{each~} X R \text { s a unique } Y \\
& \forall x(X x \supset \exists y(Y y \wedge R x y \wedge \forall z((Y z \wedge R x z) \supset z=y))) \\
&\wedge \underbrace{\forall y(Y y \supset \exists x(X x \wedge R x y))}_{\text {each } Y \text { is } R \mathrm{~d} \text { by an } X})
\end{aligned}
$$

should be

$$
\begin{aligned}
X \sim Y \equiv_{\text {def }} \exists R( & \frac{\text { each } X \text { Rs a unique } Y}{\forall x(X x \supset \exists y(Y y \wedge R x y \wedge \forall z((Y z \wedge R x z) \supset z=y)))} \\
& \wedge \underbrace{\forall y(Y y \supset \exists x(X x \wedge R x y \wedge \forall z((X z \wedge R z y) \supset z=x))))}_{\text {each } Y \text { is } R \text { d by a unique } X})
\end{aligned}
$$

## p. 69, top of main text

(the valuation should be (the valuation).

## p. 69, line 5 under Possible worlds

The "actual world" @ should be The "actual world" @

## p. 69 Fig. 3.1 caption

atomic formulas should be propositional constants

## p. II 2 beginning of second line of main text after figure

$\ulcorner p \rightarrow q\urcorner$ should be $\ulcorner p \rightarrow \neg q\urcorner$

## p. I 39 third line after example (22)

has that property so should be has that property, so

## p. 147 tonk Elim rule

$\frac{A \text { tonk } B}{A}$ should be $\frac{A \text { tonk } B}{B}$

## p. 172 last line before the quote from Parry

$\psi$ follows from $\phi$ only if all of the propositional constants in $\phi$ are in $\psi$ should be
$\phi$ entails $\psi$ only if all of the propositional constants in $\psi$ are in $\phi$

## p. 178 De Morgan's Laws

Second $\neg(\phi \vee \psi) \quad \Longleftrightarrow \quad \neg \phi \wedge \neg \psi$ should be $\neg(\phi \wedge \psi) \quad \Longleftrightarrow \quad \neg \phi \vee \neg \psi$

## p. 181 Exercise 7.3, 2

(3a) and (3b) should be (1b) and (2b) on p. 173

## p. 195 Figure 8.I Weak Kleene Tables

The table for ' $v$ ' has two incorrect entries (upper right and lower left):

| $\vee$ | $T$ | $N$ | $F$ |
| :---: | :---: | :---: | :---: |
| $T$ | $T$ | N | $F$ |
| $N$ | N | $N$ | N |
| $F$ | $F$ | N | $F$ | should be


| $\vee$ | $T$ | $N$ | $F$ |
| :---: | :---: | :---: | :---: |
| $T$ | $T$ | N | $T$ |
| $N$ | N | $N$ | N |
| $F$ | $T$ | N | $F$ |

## p. I95 Figure 8.2 Strong Kleene Tables

The table for ' $v$ ' has two incorrect entries (upper right and lower left):

| $\vee$ | $T$ | $N$ | $F$ |
| :---: | :---: | :---: | :---: |
| $T$ | $T$ | T | $F$ |
| $N$ | T | $N$ | N |
| $F$ | $F$ | N | $F$ | should be


| $\vee$ | $T$ | $N$ | $F$ |
| :---: | :---: | :---: | :---: |
| $T$ | $T$ | T | $T$ |
| $N$ | T | $N$ | N |
| $F$ | $T$ | N | $F$ |

## p. I 96 end of section 8.2.2

designating $T$ yields $\Gamma_{a}$, and designating $T$ and $N$ yields $\Gamma_{b}$ should be
designating $T$ yields $\vDash_{a}$, and designating $T$ and $N$ yields $\vDash_{b}$.

## p. 197 line 4 of main text

will have $F$ antecedents and $F$ consequents, and will therefore be $F$
should be
will have $F$ antecedents and $F$ consequents, and will therefore be $T$

## p. 210 second-to-last line

${ }^{\prime} \lambda x(\phi x)^{\prime}$ should be ${ }^{\prime} \lambda x \phi x$ '

